

Year 1/2 - Division	Solve 1-step problems using division (sharing) Divide 2-digits by 1-digit (sharing with no exchange)	
Concrete	Pictorial	Abstract
	Alongside the use of concrete resources images and drawings of these resources are used.	20 ??????? $20 \div 5 = 4$ There are 20 apples altogether. They are shared equally between 5 bags. How many apples are in each bag?
Key skills and concepts	 When solving 1-step problems using division (sharing): Children solve problems by sharing amounts into equal groups In Year 1 use concrete & pictorial representations to solve problems. Children are not expected to record division formally. In Year 2 children are introduced to the division symbol 	



Year 1/2 - Division	Solve 1-step problems us	sing division (grouping)
Concrete	Pictorial	Abstract
The calculation is shown alongside the use of concrete resources	Alongside the use of concrete resources images and drawings of these resources are used.	There are 20 apples altogether. They are put in bags of 5. How many bags are there? $20 \div 5 = 4$
Key skills and concepts	 When solving 1-step problems using a groups Grouping encourages counting repeated subtraction Use concrete representation between multiplication & division 	division (grouping): Jrouping & counting the number of J in multiples and links to L s in fixed groups to show the link on.



Year 2/3 - Division	Divide 2-digits by 1-digit (sharing with no exchange)	
Concrete	Pictorial	Abstract
$\frac{1}{100}$	$\overbrace{Use Base 10}^{48}$ $\overbrace{Use 10}^$	48 ÷ 2 = 24
Key skills and concepts	 When dividing 2-digits by 1-digit (sharing with no exchange): Use manipulatives which allow children to partition into tens and ones Base 10 & place value counters can be used to share numbers into equal groups Use part-whole models to show a clear written method that matches the concrete representation 	



Mount Hawke Calculation Policy

Year 3/4 - Division	Divide 2-digits by 1-digit	(sharing with exchange)
Concrete	Pictorial	Abstract
	52 + 4 + 52 + 52 + 52 + 52 + 52 + 52 + 5	52 ÷ 4 = 13
52 \div 4 = 13 The calculation is shown alongside the use of concrete resources	Alongside the use of concrete resources images and drawings of these resources are used.	
Key skills and concepts	 When dividing 2-digits by 1-digit (shari Use place value counters or E ones when dividing numbers invo Start with the equipment of before sharing the tens and one Flexible partitioning in a part	ng with exchange): Base 10 to exchange one ten for ten lving an exchange utside the place value grid es equally between the rows rt-whole model supports this



Year 3/4 - Division	Divide 2-digits by 1-digit (sharing with remainders)	
Concrete	Pictorial	Abstract
$53 \div 4 = 13 \text{ r1}$ The calculation is shown alongside the use of concrete resources	$\begin{array}{c} 53\\ 40\\ 13\\ 12\\ 10\\ 3\end{array}$ $\begin{array}{c} 53\\ 53\\ 1\\ 13\\ 13\\ 13\\ 13\\ 13\\ 13\\ 13\\ 13\\ 13$	$53 \div 4 = 13 r1$
Key skills and concepts	 When dividing 2-digits by 1-digit (sharing with remainders): Use place value counters or Base 10 to exchange one ten for ten ones when dividing numbers involving an exchange Starting with the equipment outside the place value grid will highlight the remainders as they will be left outside the grid once the equal groups have been made Flexible partitioning in a part-whole model supports this method 	



Year 5 - Division	Divide 2-digits by	1-digit (grouping)
Concrete	Pictorial	Abstract
TensOres00 <t< th=""><th>Tens Own Image: Construction of the set o</th><th>52 ÷ 4 = 13 1 3 4 5 12</th></t<>	Tens Own Image: Construction of the set o	52 ÷ 4 = 13 1 3 4 5 12
Key skills and concepts	 When dividing 2-digits by 1-digit (group When using the short division methe largest place value, group by Language is important. Chil 4 tens can we make?' and 'How make?' Remainders can be seen clear 	bing): thod, use grouping . Starting with the divisor dren consider 'How many groups of any groups of 4 ones can we ly as they are left ungrouped



Year 4 - Division	Divide 3-digits by	1-digit (sharing)
Concrete	Pictorial	Abstract
Image: second secon	$844 \div 4 = 211$ 844 900	844 ÷ 4 = 211
Key skills and concepts	 When dividing 3-digits by 1-digit (shari Place value counters can be us groups Start with the equipment out sharing the hundreds, tens and o will also help highlight remainder Flexible partitioning in a part- 	ng) sed to share 3-digit numbers into s side the place value grid before nes equally between the rows. This s whole model supports this method



Mount Hawke Calculation Policy

Year 5 - Division	Divide 3-digits by	1-digit (grouping)	
Concrete	Pictorial	Abstract	
HundredsTeresColspan="2">TeresColspan="2">Teres <th colspan<="" td=""><td>Hundreds Ters Description Hundreds Ters</td><td>$\begin{array}{c ccccccccccccccccccccccccccccccccccc$</td></th>	<td>Hundreds Ters Description Hundreds Ters</td> <td>$\begin{array}{c ccccccccccccccccccccccccccccccccccc$</td>	Hundreds Ters Description Hundreds Ters	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$
Key skills and concepts	 When dividing 3-digits by 1-digit (grou Children can continue to use g understanding of short division Place value counters and pl place value grid to support und Children can draw their own more pictorial approach 	ping) rouping to support their lain counters can be used on a lerstanding counters & group them through a	



Year 5 - Division	Divide 4-digits by	1-digit (grouping)
Concrete	Pictorial	Abstract
The calculation is shown alongside the use of any concrete resources	The H T P C C C C C C C C C C C C C C C C C C C	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$
Key skills and concepts	 When dividing 4-digits by 1-digit (groute) Place value counters and plate value grid to support understand Children can draw their own more pictorial approach Encourage children to move ava pictorial when dividing numbers 	ping): in counters can be used on a place ing counters & group them through a way from the concrete & nbers with multiple exchanges

Year 6 - Division	Divide multi-digits by 2-digits (short division)	
Concrete	Pictorial	Abstract
		$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$
		0 4 8 9 7,335 \div 15 = 489 15 7 7 3 13 3 13 5 15 30 45 60 75 90 105 120 135 150
Key skills and concepts	 When dividing multi-digits by 2-digits (short division): Written methods are the most accurate & efficient as concrete and pictorial representations become less effective Children can write out multiples to support calculations with larger remainders Children can solve problems with remainders where the quotient can be rounded as appropriate 	

Year 6 - Division	Divide multi-digits by 2-digits (long division)	
Concrete	Pictorial	Abstract
		$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$
		7,335 \div 15 = 489 15 7 3 3 5 - 6 0 0 0 2×15 = 30 3×15 = 45 - 1 3 5 3×15 = 45 - 1 2 0 0 4×15 = 60 - 1 3 5 5×15 = 75 - 1 3 5 (×80) 10×15 = 150
Key skills and concepts	 When dividing multi-digits by 2-digits (long division): Written methods are the most accurate & efficient as concrete and pictorial representations become less effective Children can also divide by 2-digit numbers using long division Children can write out multiples to support calculations with larger remainders Children can solve problems with remainders where the quotient can be rounded as appropriate 	



Year 6 - Division	Divide multi-digits by 2-digits (long division with remainders)	
Concrete	Pictorial	Abstract
		$\textbf{372 \div 15 = 24 r12} \qquad \begin{array}{ c c c c c c c } \hline & & & 2 & 4 & r & 1 & 2 \\ \hline 1 & 5 & 3 & 7 & 2 & & & \\ \hline 1 & 5 & 3 & 7 & 2 & & & \\ \hline - & 3 & 0 & 0 & & & & \\ \hline & & 7 & 2 & & & & \\ \hline & & & 7 & 2 & & & \\ \hline & & & & 6 & 0 & & & \\ \hline & & & & 1 & 2 & & & \\ \hline \end{array} \qquad \begin{array}{ c c c c c } \hline & & & & & & \\ \hline & & & & & & \\ \hline & & & &$
		$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$
Key skills and concepts	 When dividing multi-digits by 2-digits (long division with remainders): Written methods are the most accurate & efficient as concrete and pictorial representations become less effective When a remainder is left at the end of the calculation, either leave it as a remainder or convert it to a fraction. This will depend on the context of the question Questions can be answered where the quotient needs to be rounded according to the context. 	

Mount Hawke Calculation Policy

